

Methods

Let the model π give larger probabilities for better responses and give smaller probabilities for worse responses. This object can be optimized by ranking loss:

$$L_{\text{rank}} = \sum_{r_i < r_j} \max(0, p_i - p_j)$$

In RRHF, cross-entropy loss is added similar to SFT. RRHF requires the model to learn the response with the highest reward r_i .

$$i' = \arg \max_j r_j$$
$$L_{\text{ft}} = - \sum_t \log P_{\pi}(y_{i',t} | x, y_{i',<t})$$

The total loss is defined as the sum of two losses:

$$L = L_{\text{rank}} + L_{\text{ft}}$$

Relation with Previous Paradigms

RRHF has similar procedures with three steps in Instruct GPT [OWJ⁺22].

- **Relation with SFT** SFT can be viewed as a degenerated version of training process in RRHF with $k = 1$ and ρ_1 being fixed.
- **Relation with Reward Model** RRHF uses log probability to score responses, while other reward models use [CLS] or [EOS] for scoring. If $R(x, y)$ is labeled by human labelers, RRHF is exactly training a reward model from human preferences.
- **Relation with PPO** PPO leverages π for sampling, while RRHF can use any applicable ρ_i . PPO uses the advantage value $A(x, y)$ for optimization, while RRHF only consider the comparisons of $R(x, y)$ between different responses which are easier to learn.

Relation with Previous Paradigms

The task objective in PPO is defined by a reward function $R(x, y)$, and RL is to maximize the expected reward:

$$\mathbf{E}_{x \sim \mathcal{D}, y \sim \pi_{\theta}(\cdot | x)} [R(x, y)]$$

To constrain the language policy $\pi_{\theta}(\cdot | x)$ from moving too far from the initialization $\rho(\cdot | x)$, the final reward design becomes:

$$\tilde{R}(x; y) = R(x; y) - \beta \log \left(\frac{\pi_{\theta}(y | x)}{\rho(y | x)} \right)$$

where β controls the level of penalty and is set to a fixed value or dynamically adjusted.

PPO needs more models and memory consumption for GPUs.

Results and Conclusions

Auto Evaluation Alpaca-RRHF DP obtains the highest average reward score of -1.02, this proves that RRHF has the ability to fit the given reward model. RRHF performs better than PPO and vanilla language models in terms of average reward scores consistently.

ρ	Setting	PPL	Reward
Good responses	\emptyset	21.46	-1.24
Bad responses	\emptyset	121.29	-1.48
LLaMA	\emptyset	20.78	-1.89
Alpaca	\emptyset	14.34	-1.18
Alpaca-sft	\emptyset	18.98	-1.46
LLaMA	PPO	42.53	-1.62
Alpaca	PPO	13.84	<u>-1.03</u>
Alpaca-sft	PPO	19.10	-1.25
LLaMA	DP	67.12	-1.34
Alpaca	DP	14.75	-1.02
Alpaca-sft	DP	18.10	-1.19

Fig. 4. Automatic evaluation on HH dataset.

Results and Conclusions

Human Evaluation Results demonstrate that RRHF DP outperforms responses from the dataset and PPO-trained models. In addition, iterate training (RRHF_{IP-2}) can further boost the performance.

A	B	win	tie	lose
RRHF _{DP}	Good responses	60	32	8
RRHF _{DP}	PPO	28	52	20
RRHF _{DP}	RRHF _{IP-2}	0	92	8

Fig. 5. Human evaluation on HH dataset. All settings use $\rho = \text{Alpaca}$.

Accuracy as a Reward Model Results demonstrate potential in adapting to the proxy reward model and could have a significant impact on real human preference labels.

Reward Model	Accuracy
Dahoas/gptj-rm-static	68.49%
LLaMA	45.09%
Alpaca	45.13%
Alpaca-PPO	46.03%
Alpaca-RRHF _{DP}	61.75%

Fig. 6. Reward model accuracy evaluation.

Analysis and Discussion

Advantages of RRHF compared to PPO

- RRHF does not need complex hyper-parameter tuning.
- Training PPO needs 4 models, while RRHF only needs 1 to 2 models. RRHF is much easier to scale to the larger size LLMs.
- RRHF does not use the reward model's absolute value directly but use the comparison. The reward score can be different for different queries which makes its absolute value meaningless.
- [RAB⁺22] find using dropout make RL training unstable, while RRHF is capable of any fine-tuning techniques.

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Motivation

- PPO learning through trial-and-error and is generally significantly less stable and less efficient.
- High quality samples significantly affect training, and existing methods lack screening of samples.

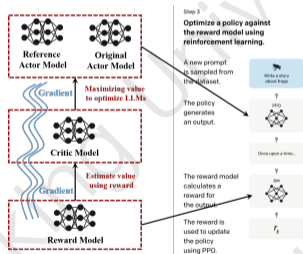


Fig. 7. The PPO training process requires more models, more complex algorithms, and gradient computations.

RAFT [DXG+23]: A more stable and efficient method

Problem Setup

We adopt the standard RL setting. We consider a

- initial generative model $G_0 = g(w_0, x)$ with model parameter w_0 , which can take input x and generate a random output y according to a distribution $p_{G_0}^\alpha(y | x)$, where α is a temperature parameter to control the diversity.
- reward function $r(x, y)$, which returns a reward for any input-output pair (x, y) . Due to common usage conventions, we refer to the input as the "prompt".

We will use the reward function to guide the outputs of $g(w, x)$. Specifically, if we denote $p_g(y | w, x)$ as the conditional distribution of $g(w, x)$, and consider a distribution \mathcal{D} of the training input x , the objective of reward optimization is

$$\max_w \mathbb{E}_{x \sim \mathcal{D}, y \sim p_g(\cdot | w, x)} r(x, y)$$

Learning process of RAFT (Reward rAnked FineTuning)

Let $\mathcal{X} = \{x_1, \dots, x_n\}$ be a set of n training prompts. Given an initial model $g(w_0, \cdot)$, RAFT iteratively updates w_0 as in Algorithm 1. At each stage t :

- RAFT samples a batch of prompts and generates responses by $g(w_{t-1}, \cdot)$
- The associated reward of these samples is then computed using the reward function.
- RAFT subsequently ranks the collected samples and selects the $1/k$ percent of samples with the highest reward as the training samples \mathcal{B} .
- The current generative model is then fine-tuned on this dataset.

Learning process of RAFT (Reward rAnked FineTuning)

Algorithm 1 RAFT: Reward rAnked FineTuning

```
1: Input: Prompt set  $\mathcal{X} = \{x_1, \dots, x_n\}$ , reward function  $r(\cdot)$ , initial model  $G_0 = g(w_0, \cdot)$ ,  
   acceptance ratio  $1/k$ , batch size  $b$ , temperature parameter  $\alpha$ .  
2: for Stage  $t = 1, \dots, T$  do  
3:   1. Data collection. Sample a batch  $\mathcal{D}_t$  from  $\mathcal{X}$  of size  $b$ ;  
4:   for  $x \in \mathcal{D}_t$  do  
5:     Generate  $y \sim p_{G_{t-1}}^\alpha$  and compute  $r(x, y)$ .  
6:   end for  
7:   2. Data ranking. Let  $\mathcal{B}$  be the  $\lfloor b/k \rfloor$  samples with maximum rewards;  
8:   3. Model fine-tuning. Fine-tune  $w_{t-1}$  on  $\mathcal{B}$  to obtain  $G_t = g(w_t, \cdot)$ .  
9: end for
```

The advantages of RAFT

- The sampling process of training data and the model training are completely decoupled. one can use batch inference and model parallelism to accelerate.
- The sampling process does not require any gradient computations, allowing for convenient handling of the sampling procedure.

Results and Conclusions

[DXG⁺23] reports the relationship between perplexity and reward in the right figure of Figure 10. Compared to the PPO-aligned model, we observe that RAFT achieves a better balance between reward and perplexity.

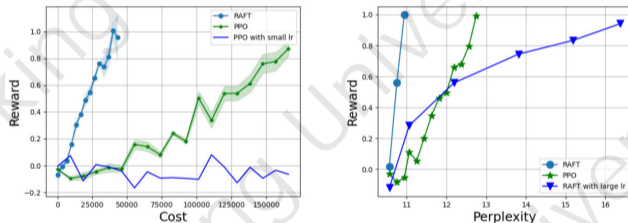


Fig. 8. Training reward of movie review completion on IMDB dataset: (1) The first figure plots the reward with respect to the cost, where the results are averaged over 5 random seeds. The PPO-small-lr uses a learning rate identical to that of RAFT and is plotted to illustrate our choice of the learning rate for PPO; (2) The second figure reports the relationship between reward and model perplexity for one representative experiment but the idea remains the same for other random seeds. If one perplexity value corresponds to multiple models, we use the mean reward as the representative value.

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Motivation

The imperfections in the proxy reward may hinder the training and lead to suboptimal results; the diversity of objectives in real-world tasks and human opinions exacerbate the issue.

- The diversity of objectives in real-world applications complicates the challenge. In particular, human opinions can vary significantly on subjects such as aesthetics, politics or fairness. Humans have also different expectations from machines.
- Inspired from the multi-objective reinforcement learning (MORL), [RCS⁺23] arguing that tackling diverse rewards requires shifting from single-policy to multi-policy approaches. As optimality depends on the relative preferences across those rewards, the goal is not to learn a single network but rather a set of Pareto-optimal networks.

RL fine-tuning with diverse rewards

Authors consider a family of N diverse proxy rewards $\{R_i\}_{i=1}^N$. The goal then becomes obtaining a coverage set of policies that trade-off between these rewards.

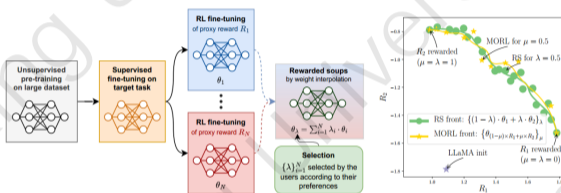


Fig. 9. Figure 11(a) details the different steps in rewarded soup. After unsupervised pre-training and supervised fine-tuning, we launch N independent RL fine-tunings on the proxy rewards $\{R_i\}_{i=1}^N$. Then we combine the trained networks by interpolation in the weight space. The final weights are adapted at test time by selecting the coefficient λ . Figure 11(b) shows our results with LLaMA-7b instruct fine-tuned on Alpaca, when RL fine-tuning for news summarization with $N = 2$ reward models assessing diverse preferences of summaries. With only two trainings (R_1 and R_2 rewarded on Figure 11(b)), the λ -interpolation ($0 \leq \lambda \leq 1$) reveals the green front of Pareto-optimal solutions, i.e., that cannot be improved for one reward without sacrificing the other. RS matches the costly yellow front of MORL requiring multiple trainings on different linear weightings over the rewards $(1 - \mu) \times R_1 + \mu \times R_2$ with $0 \leq \mu \leq 1$.

The properties of the rewarded soups set of solutions

LMC of weights fine-tuned on diverse rewards

We consider $\{\theta_i\}_{i=1}^N$ fine-tuned on $\{R_i\}_{i=1}^N$ from a shared pre-trained initialization. Authors extend linear mode connectivity (LMC) [FDRC20] in RL with N rewards, and define that the LMC holds if all rewards for the interpolated weights exceed the interpolated rewards.

Working Hypothesis 1 (LMC):

$$\forall \{\lambda_i\}_i \in \Delta_N, k \in \{1, \dots, N\}, R_k \left(\sum_i \lambda_i \cdot \theta_i \right) \geq \sum_i \lambda_i R_k(\theta_i)$$

The properties of the rewarded soups set of solutions

Pareto optimality of rewarded soups

The Pareto front (PF) is the set of undominated weights, for which no other weights can improve a reward without sacrificing another, i.e., $\{\theta \mid \nexists \theta' \in \Theta \text{ s.t.}$

$\{R_i(\theta')\}_{i=1}^N >_N \{R_i(\theta)\}_{i=1}^N\}$ where $>_N$ is the dominance relation in \mathcal{R}^N . In practice, we only need to retain one policy for each possible value vector, i.e., a Pareto coverage set (PCS).

Working Hypothesis 2 (Pareto optimality):

The set $\left\{ \sum_i \lambda_i \cdot \theta_i \mid \{\lambda_i\}_i \in \Delta_N \right\}$ is a PCS of $\{R_i\}_i$.

The properties of the rewarded soups set of solutions

Pareto optimality if the user's reward is linear

Lemma 1 (Reduced reward misspecification)

If Hypothesis 2 holds, and for linear reward

$$\hat{R} = \sum_i \hat{\mu}_i R_i \text{ with } \{\hat{\mu}_i\}_i \in \Delta_N, \text{ then } \exists \{\lambda_i\}_i \in \Delta_N,$$

such that $\sum_i \lambda_i \cdot \theta_i$ is optimal for \hat{R} .

- For any preference $\hat{\mu}$, there exists a λ such that the λ -interpolation over weights maximizes the $\hat{\mu}$ -interpolation over rewards.
- This motivates having sufficiently rich and diverse proxy rewards to capture the essential aspects of all possible users' rewards.

Results and Conclusions

When there are multi RMs for the assistant task and uniformly average the N weights, confirming that RS can scale and trade-off between more rewards.

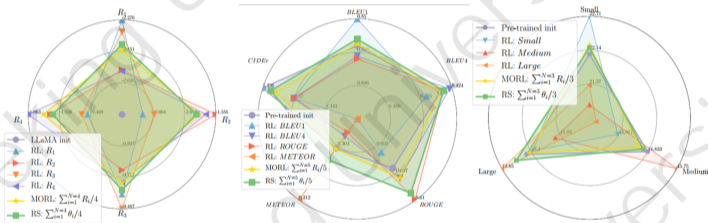


Fig. 10. Different Reward models balance different perspectives.

RS enhance the alignment of deep models, and how they interact with the world in all its diversity.

